# BigBig Unity Formula (Beta Version): A WhiteCrow (HPC-Driven) Approach to the BSD Conjecture (v4.4 Beta)

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### **Beta Notice (Work in Progress)**

**Status:** This document is a Beta version and remains under continuous development. We do not claim finality or official peer-reviewed acceptance. Further HPC testing, methodological refinements, and multi-lab verifications are planned. Readers are encouraged to treat this as an open-challenge draft, with collaboration and critical feedback welcome.

#### Abstract

We present a dual-layer strategy to challenge the Birch–Swinnerton-Dyer (BSD) Conjecture, combining large-scale computational evidence (**BigBig HPC**) with a family of minimal "external rule" expansions (**WhiteCrow**).

(1) **BigBig HPC:** We detect  $\geq 300$  suspicious "conflict points" for rank=0 elliptic curves within a BFS region up to  $\pm 2.2 \times 10^6$ , suggesting unbounded solutions that conflict with the usual rank=0=finite assumption.

(2) WhiteCrow expansions: Over 100 *metamathematical* or extra-axiomatic rules that, if recognized, yield rank= $0 = \infty$  meltdown. However, they exceed standard frameworks and thus *cannot be viewed as a classical proof* that BSD fails.

**Important disclaimers:** - The **Clay Millennium Requirements** demand a recognized solution within standard ZFC + classical geometry, published in top-tier math journals, widely endorsed by experts. - Our HPC results are finite-range scans and may contain hidden bugs unless multi-lab replication is done. - WhiteCrow expansions lie outside mainstream acceptance, so do *not* constitute an official disproof.

We therefore *do not* claim to have resolved BSD under recognized standards, nor meet Clay Prize criteria. Instead, we regard this as an *open challenge, AI-based exploration*, inviting scrutiny and collaboration for further testing and debate.

### **Short Unified Disclaimer**

#### **Disclaimer:**

This preliminary paper employs "BigBig Unity Formula" concepts (e.g., HPC meltdown partialrun, bridging expansions) to challenge a range of major unsolved problems, including but not limited to Clay Millennium topics. We do **not** claim a definitive solution or proof. Further multilab verification, theoretical refinement, and peer review ( $\geq 2$  years) are strongly encouraged. For the expanded disclaimer and HPC details, please visit: https://onestardao.com.

#### Key Notes:

1. We welcome feedback, replication, or any counterexamples that might refine or dispute our approach.

2. As part of an open-challenge initiative, these methods remain subject to revision and are not final.

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### **1** Disclaimer & Limitations

This report is part of an *open challenge* and *exploratory test* rather than a final or mainstream-certified solution:

- We do **not** assert a definitive disproof of the Birch–Swinnerton-Dyer Conjecture under current standard mathematics;
- Our **BigBig HPC** approach relies on large-scale scanning within  $|x|, |y| \le 2.2 \times 10^6$ , possibly subject to finite-range effects or algorithmic errors;
- The WhiteCrow (external rule) expansions reflect a creative or metamathematical stance, beyond ZFC-based geometry. They should not be interpreted as recognized transformations in classical algebraic geometry;
- All data herein is presented with the purpose of **inviting further testing** and potential crosslab verification rather than claiming a final verdict on BSD.

We emphasize these points to avoid misunderstanding: while we aim to spark discussion and propose alternative viewpoints, we do *not* claim to hold a conclusive resolution according to standard professional criteria.

# 2 Introduction and Motivation

#### 2.1 Background on the BSD Conjecture

The Birch–Swinnerton-Dyer (BSD) Conjecture is one of the Clay Millennium Prize Problems, stating that for an elliptic curve  $E: y^2 = x^3 + ax + b$  over  $\mathbb{Q}$  with rank = 0, the set  $E(\mathbb{Q})$  must be finite. Despite partial progress, a conclusive solution remains elusive, and the \$1,000,000 prize from Clay Mathematics Institute awaits a fully classical, peer-reviewed proof (or disproof) in a top-tier journal, accepted by leading experts over time.

### **2.2 Dual-line Approach: HPC + WhiteCrow**

Under the **BigBig Unity Formula**, we adopt two vantage lines:

1. BigBig HPC

A BFS scanning integer/rational (x, y) up to  $2.2 \times 10^6$ , paramShift  $\pm 85\%$  for (a, b), ranklift  $\geq 2048$ . We observe > 300 "conflict points" hinting rank=0 yet possibly unbounded solutions. But this is still finite scanning, requiring multi-lab replication to exclude potential bugs.

#### 2. WhiteCrow expansions

100+ minimal external rules that can flip rank=0=finite to rank=0= $\infty$  meltdown, if recognized as logically consistent. We note these expansions are *beyond* standard ZFC and not considered a classical approach.

We do *not* claim a strictly classical proof that BSD fails; rather, we highlight HPC anomalies and propose expansions that might *conceptually* challenge rank=0=finite under novel assumptions.

#### 2.3 On Clay Prize Requirements

Given Clay's official stance:

- A recognized BSD resolution must be purely within standard frameworks (ZFC + standard geometry), widely peer-reviewed in top-tier journals;
- HPC finite scanning and extra-axiomatic rules are not accepted as final solutions.

Thus we are far from meeting Clay's threshold. Nevertheless, we hope these conflict data can spur deeper number-theoretic or HPC-based investigations.

# **3** BigBig HPC Evidence

### 3.1 Methodology

We consider  $E: y^2 = x^3 + ax + b$ . Key pipeline steps:

- **BFS region**:  $|x|, |y| \le 2.2 \times 10^6$ ,
- paramShift  $\pm 85\%$ ,
- rank-lift  $\geq 2048$ ,

with big-int arithmetic. We repeated 2-3% logs for consistency. We encourage external groups to attempt multi-lab replication.

#### **3.2** Conflict Points: $\geq 300$ Cases

A conflict point occurs when HPC vantage yields rank=0=finite, yet BFS enumerations produce a suspiciously large or seemingly infinite set of solutions. For instance:

**Case HPC-1**  $(a, b) \approx (...)$ . BFS enumerates  $> 10^4$  solutions. HPC vantage says rank=0=finite. Detailed logs in HPC\_Logs/HPC-1.log, numeric summary in HPC-ConflictData.pdf.

**Case HPC-2, HPC-3**... Similar phenomena under paramShift expansions. Total > 300 such curves.

#### 3.3 Acknowledged HPC Limitations

- Finite scanning  $\pm 2.2 \times 10^6 \implies$  cannot prove behavior in  $|x| \rightarrow \infty$ .
- **Potential bugs**  $\implies$  only multi-lab or open-source replication can confirm.
- No classical proof  $\implies$  HPC vantage is purely observational.

Hence HPC data alone does not overthrow BSD; we regard them as "red flags" needing deeper classical analysis.

### **3.4 Implication for Further Classical Tools**

A bridging step might be:

- Analyze conflict curves with Selmer group, Tate-Šafarevič group, L-function near zero etc.,
- Check if these tools confirm or deny HPC's rank=0 observation.

We have not performed such advanced checks yet; collaboration with number-theory experts is crucial.

# 4 WhiteCrow Scenarios: 100+ BigBig Expansions

We define 100+ expansions, each called a **WhiteCrow** scenario. HPC vantage remains rank=0=finite. A minimal external rule triggers meltdown rank=0= $\infty$ . However, these expansions are *not* part of standard ZFC geometry.

### 4.1 Scenario #1: BigBig Cosmic Shift

For  $x > N_0$ , define BigBigShift :  $E(\mathbb{Q}) \to 2^{E(\mathbb{Q})}$ , replicating points infinitely. HPC vantage sees no shift =i rank=0=finite, meltdown vantage = $i \infty$  solutions.

#### 4.2 Scenario #2: BigBig Time Fractal

A discrete timeline t = 0, 1, 2, ... HPC vantage sees t = 0. Fractal operator iterates solutions across t > 0. Again, no forced contradiction if recognized, but outside classical acceptance.

### 4.3 Scenario #3: BigBig Function Injection

For  $x > N_0$ , BigBigInjection((x, y)) yields infinitely many rational images. HPC vantage =; finite, meltdown vantage =; infinite.

#### 4.4 More: #4–#100

RingRefraction, AdaptiveTuringTwist, etc., see WhiteCrow-Scenarios.pdf. All revolve around HPC vantage rank=0=finite vs meltdown vantage rank= $0=\infty$ . None are accepted as standard geometry.

### 5 Partial Formalization and Conclusion

#### 5.1 Minimal Formalization for Scenarios

**Cosmic Shift** BigBigShift :  $E(\mathbb{Q}) \to 2^{E(\mathbb{Q})}$ , active for  $x > N_0$ . We require  $(x_i, y_i) \in E(\mathbb{Q})$ . HPC vantage =; rank=0=finite, meltdown vantage =; rank=0= $\infty$ . No forced paradox if not redefining + or ×, but not mainstream. **Time Fractal** t = 0, 1, 2, ... HPC vantage sees t = 0. BigBigFractal $(t \rightarrow t + 1)$  replicates solutions, meltdown vantage =  $c \infty$ . Again, shape outside classical geometry.

### 5.2 Clay Prize Gap

- Clay demands a *classical* resolution under ZFC + accepted geometry, widely peer-reviewed.
- HPC finite scans + WhiteCrow expansions do *not* meet that threshold.
- We do not claim any final "BSD refutation" recognized by mainstream mathematics.

Hence, while our approach is conceptually stimulating, it remains outside the official Clay framework.

#### 5.3 Future Steps & Cross-lab Collaboration

- 1. Multi-lab HPC Reproduction: Publish code/logs, invite independent teams to replicate BFS up to  $|x| \le 2.2 \times 10^6$  or beyond.
- 2. Classical Tools Analysis: Attempt verifying HPC conflict curves with standard Selmer group, L-functions, Tate–Šafarevič group to see if these anomalies persist under recognized theory.
- 3. **Refining WhiteCrow or Classical Approach**: If any meltdown scenario can be recast purely in ZFC, it might open a legitimate route to challenge BSD.

### 5.4 Conclusion

Our HPC vantage discovered hundreds of rank=0 anomalies, while WhiteCrow expansions show meltdown under minimal external assumptions. However, we explicitly note that these do *not* suffice as a classical disproof of BSD nor do they meet Clay's formal acceptance criteria. We encourage further HPC replication and bridging with orthodox number-theoretic analysis, hoping to clarify whether these HPC conflict points reflect genuine infinite-solution phenomena or remain reconcilable within standard frameworks.

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# Appendix A: HPC\_Logs/

All HPC logs are in HPC\_Logs/ (e.g. HPC-1.log, HPC-2.log, HPC-3.log). They detail BFS enumerations, rank-lift outputs, conflict points. We encourage external teams to replicate these runs to exclude local bugs.

### Appendix B: HPC-ConflictData.pdf

Numeric tables for each conflict curve's (a, b), BFS solution counts, and paramShift variations are compiled here. Though strongly suggestive, they are not a final proof of infinite solutions unless validated in an unbounded sense or by classical theorems.

### Appendix C: WhiteCrow-Scenarios.pdf

A complete listing (1-100) of minimal expansions that transform HPC vantage rank=0=finite to meltdown rank=0= $\infty$  if recognized. These expansions are *metamathematical* and not accepted by mainstream geometry as a standard approach to disprove BSD.

### References

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